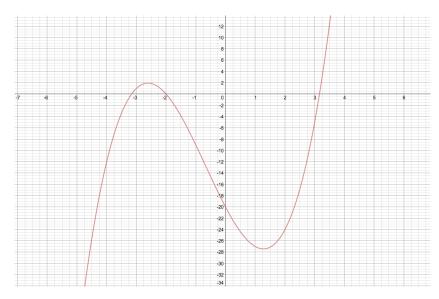
Question:	1	2	3	4	5	Total
Points:	2	6	4	4	4	20
Score:						

In order to receive full credit, you must **show all your work** and simplify your answers. Submit your written solutions by the end of the day Sunday on Blackboard (look for the "Quiz #3" Assignment). Please scan your written answers to a single pdf file.

Shown below is the graph of the cubic polynomial $p(x) = x^3 + 2x^2 - 10x - 20$:



1. (2 points) From the graph, it seems that x = -2 is a root of p(x). Verify that this is the case (i.e., show that p(-2) = 0).

2. (6 points) Use the root c = -2 to factor the polynomial p(x):

(a) Since we know from #1 that c = -2 is a root of p, we know (x - c) = (x + 2) is a factor of p(x). Use long division to compute $\frac{p(x)}{x+2}$:

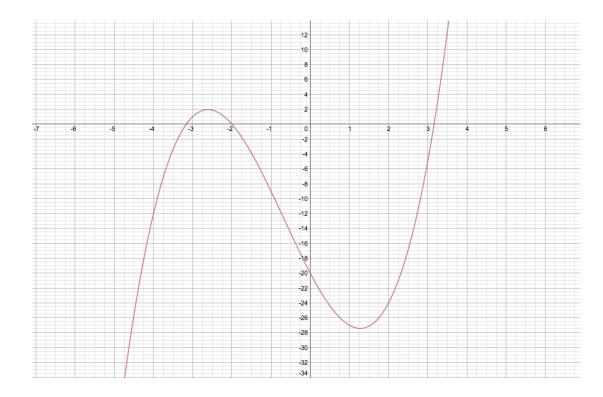
$$x+2) x^3 + 2x^2 - 10x - 20$$

(b) Fill in the blank with your result from (a) to get the factorization of p(x):

$$p(x) = x^3 + 2x^2 - 10x - 20 = (x+2)(\underline{\hspace{1cm}}$$

3. (4 points) Use the factorization from #2(b) to algebraically solve for the other two roots of p(x) in radical form (i.e., solve for the roots of the quadratic polynomial that results from factoring x + 2 out of p(x)). Leave your answers in radical form, i.e., in terms of square roots.

- 4. (4 points) (a) Write down the (x, y) coordinates of the 3 x-intercepts of the graph of p(x), corresponding to the 3 roots:
 - (b) Algebraically calculate the y-intercept of the graph y = p(x) and write down the coordinates of the y-intercept:
- 5. (4 points) Label the x-intercepts and the y-intercept on the graph with their (x, y) coordinates (leave the x-coordinates corresponding to the 2 roots you found in #3 in radical form, i.e., in terms of square roots).



Extra credit (up to 3pts): Recreate the graph of p(x) in Desmos, and then click on x-intercepts, the y-intercept, and also the local maximum and the local minimum (so that Desmos displays the coordinates of these 6 points).

Download or screenshot your graph to an image file, and submit with your quiz solutions on Blackboard.