Write in here your summary of each of the important transformations of functions and the effects they have on the graph of the function:

• Adding a number c to the output (Adding a number c to the value of the function):

Compared to the graph of y = f(x), the graph of y = f(x) + c is shifted up or down by c units, depending on whether c is positive or negative.

• Adding a number c to the input (Inputing x + c in place of x):

Compared to the graph of y = f(x), the graph of y = f(x + c) is shifted to the left or to the right by c units, to the left if c is negative, to the right if c is positive.

• Multiplying the output by a positive number c (Multiplying the value of the function by a positive number c):

Compared to the graph of y = f(x), the graph of $y = c \cdot f(x)$ is stretched or compressed vertically; stretched away from the x-axis if c > 1, or compressed toward the x-axis if c is between 0 and 1.

• Multiplying the input by a positive number c (Inputing cx in place of x):

Compared to the graph of y = f(x), the graph of y = f(cx) is stretched or compressed horizontally; compressed toward the y-axis if c > 1, or stretched away from the y-axis if c is between 0 and 1.

• Multiplying the output by -1 (Multiplying the value of the function by -1):

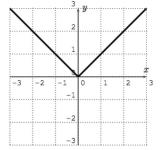
Compared to the graph of y = f(x), the graph of y = -f(x) is reflected across the x-axis

• Multiplying the input by -1 (Inputing -x in place of x):

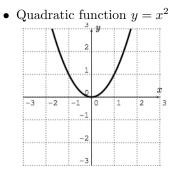
Compared to the graph of y = f(x), the graph of y = f(-x) is reflected across the y-axis

Basic graphs: These are the simplest, most basic examples of these types of functions

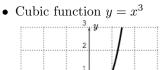
• Absolute value function y = |x|

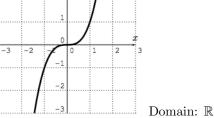


Domain: $\mathbb R$



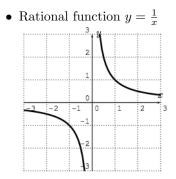
Domain: $\mathbb R$





• Square root function $y = \sqrt{x}$

Domain: $[0,\infty)$



Domain: $\mathbb{R} \setminus \{0\}$