



# Dipolariton Propagation in a van der Waals TMDC with $\Psi$ -shaped channel guides and buffered channel branches

Patrick Serafin<sup>1</sup>, German V Kolmakov<sup>1</sup>

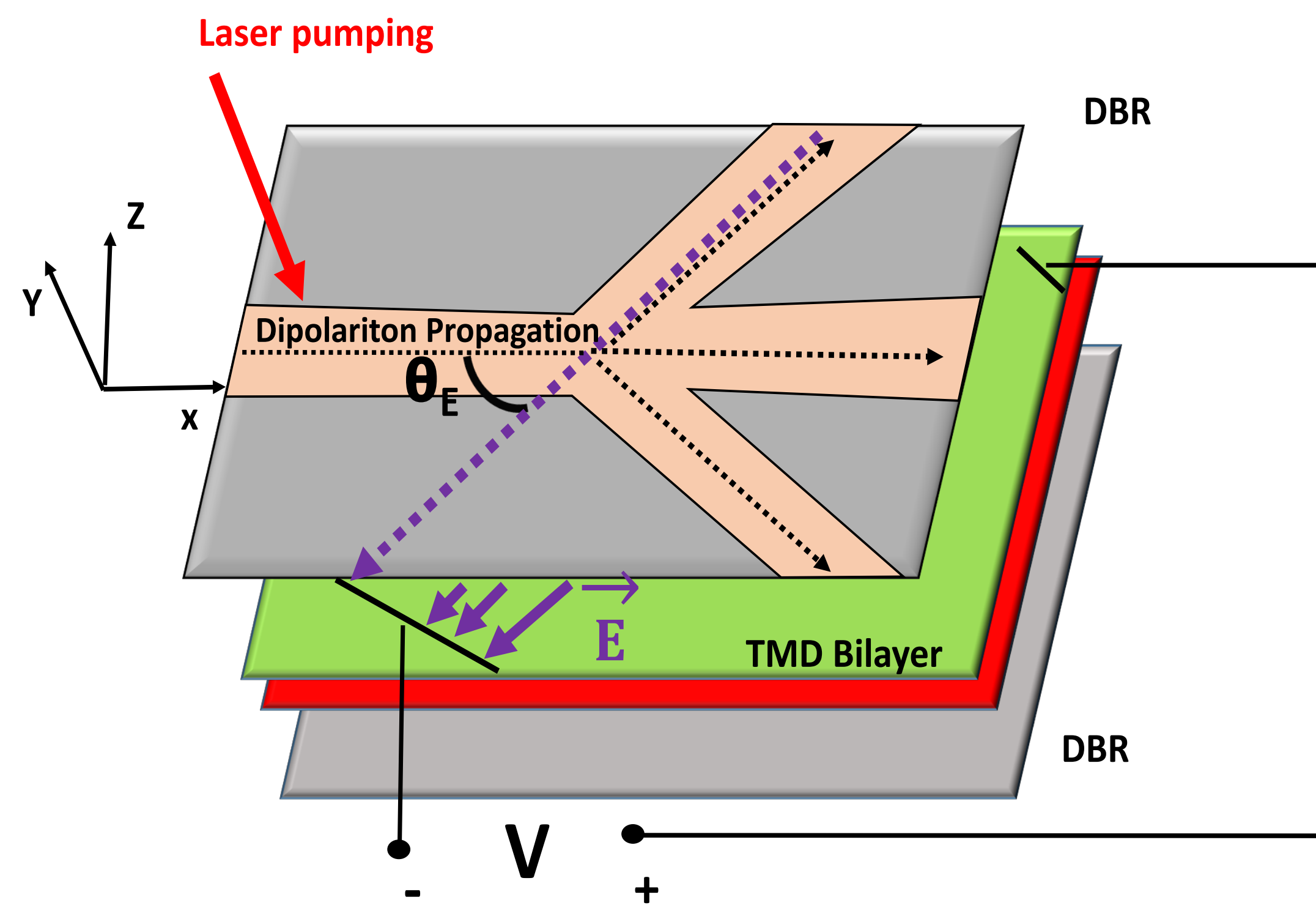
<sup>1</sup> Physics, NYC College of Technology, CUNY, Brooklyn, NY



18<sup>th</sup> Annual City Tech  
Poster Session

## Dipolaritons in a TMDC

- Dipolaritons are a three way superposition of direct excitons, indirect excitons and cavity photons

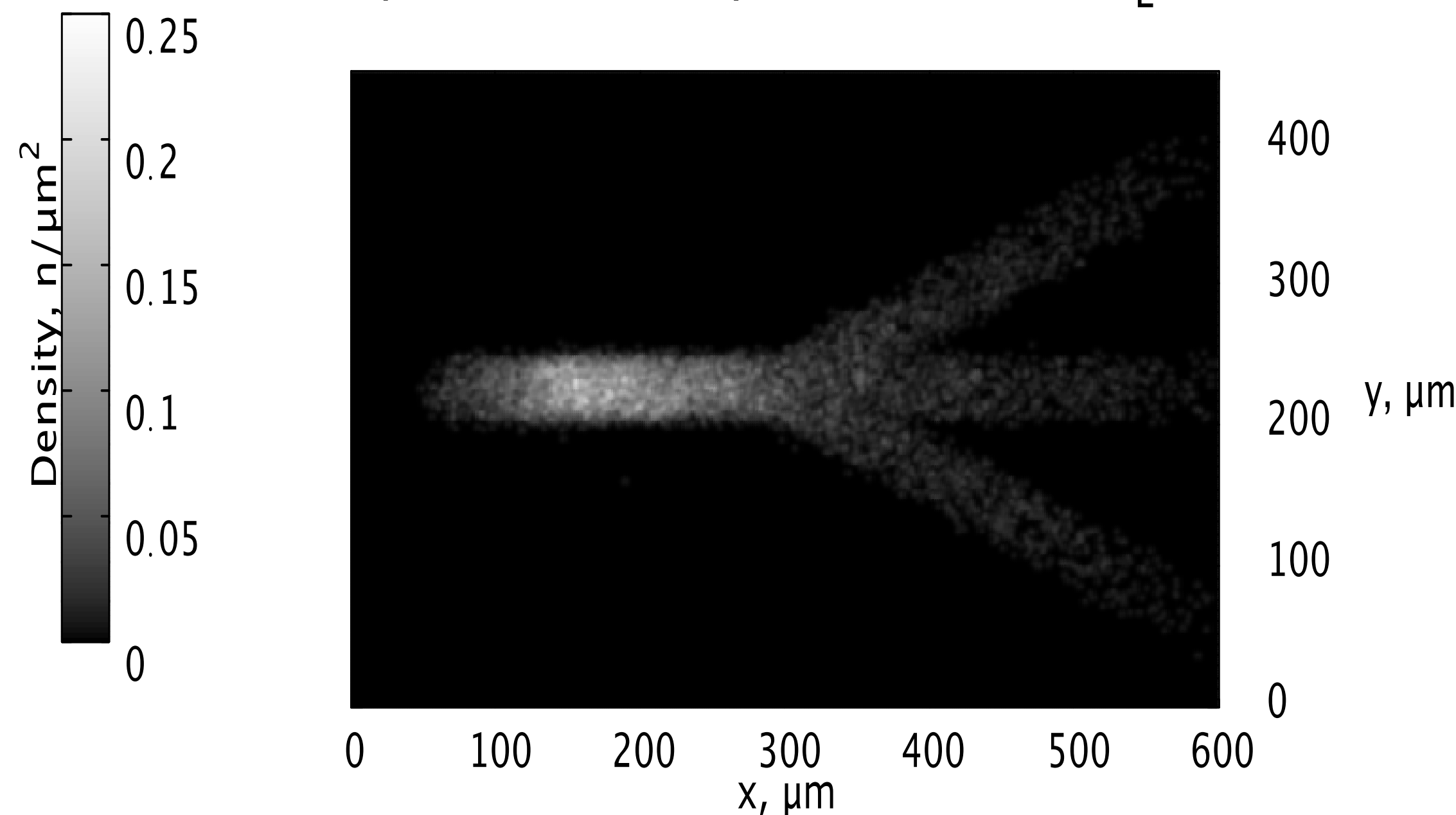


- Driven diffusion equation for dipolariton gas

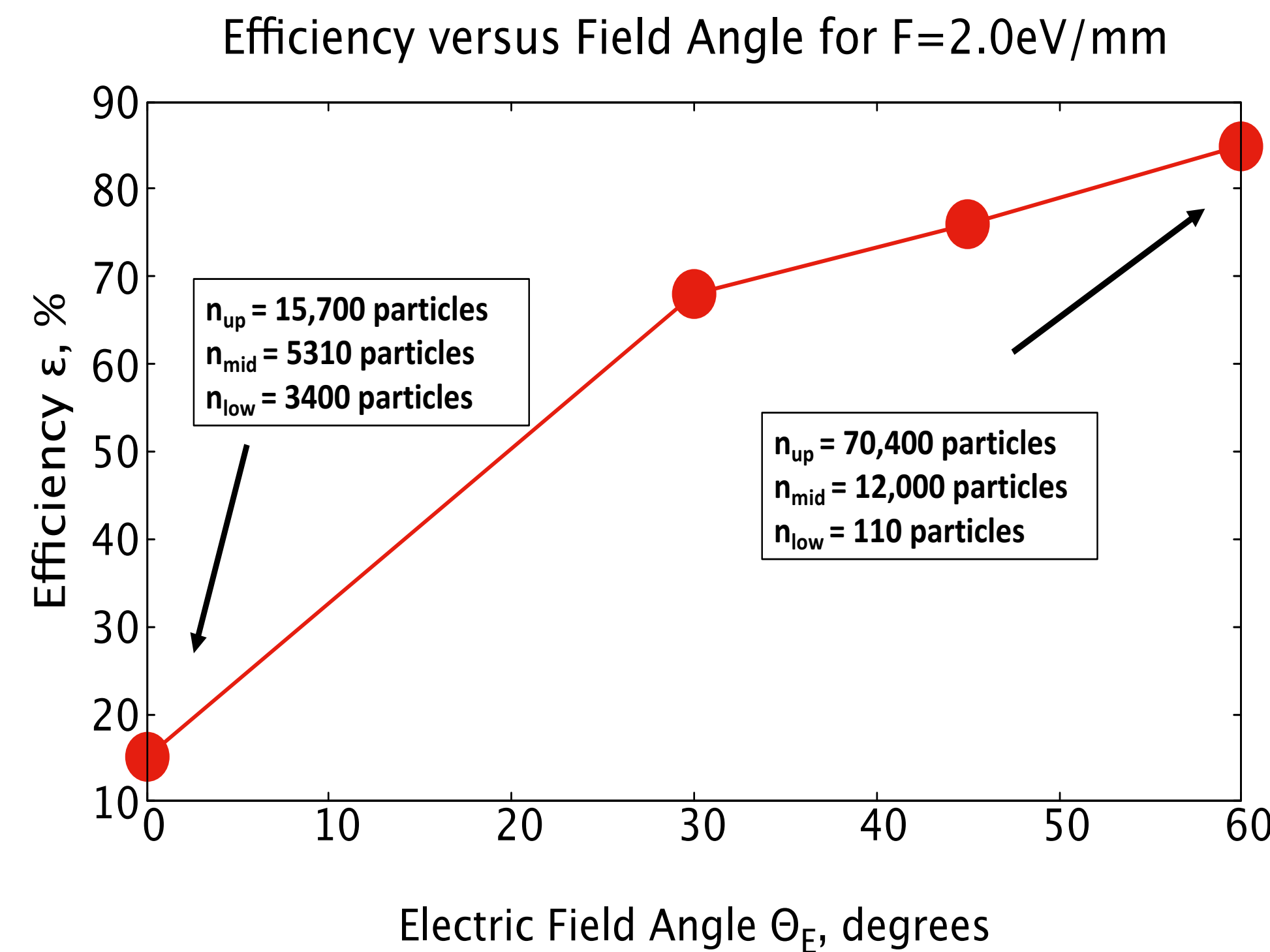
$$d\mathbf{r} = \eta_{dip}(\mathbf{F}(\mathbf{r}(t), t)dt + \sqrt{2D}d\zeta(t))$$

## Dipolariton Density in a $\Psi$ -Shaped Channel

Dipolariton Density:  $F = 0.5\text{eV/mm}$ ,  $\Theta_E = 0^\circ$

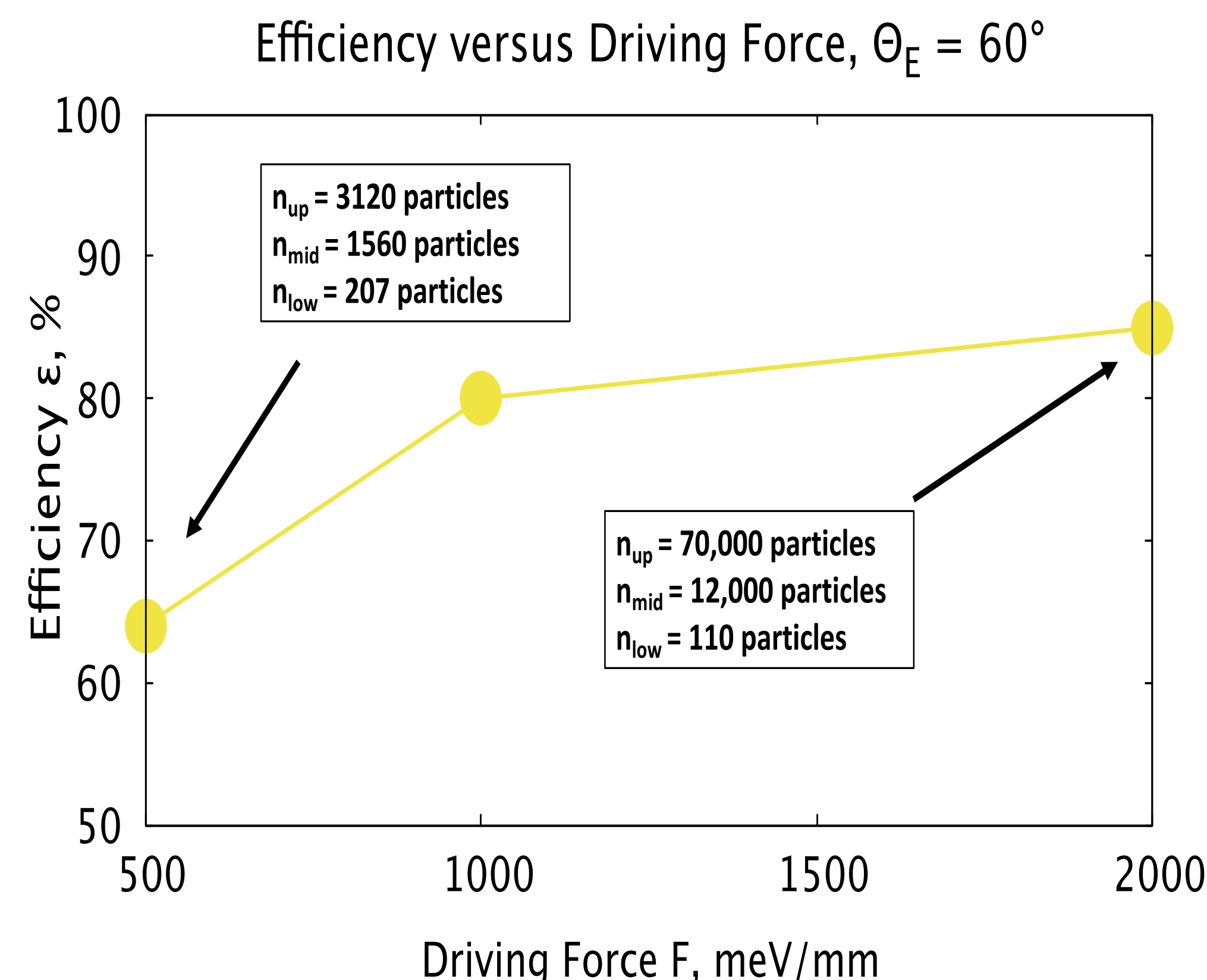


## Efficiency in $\Psi$ -Shaped Channel

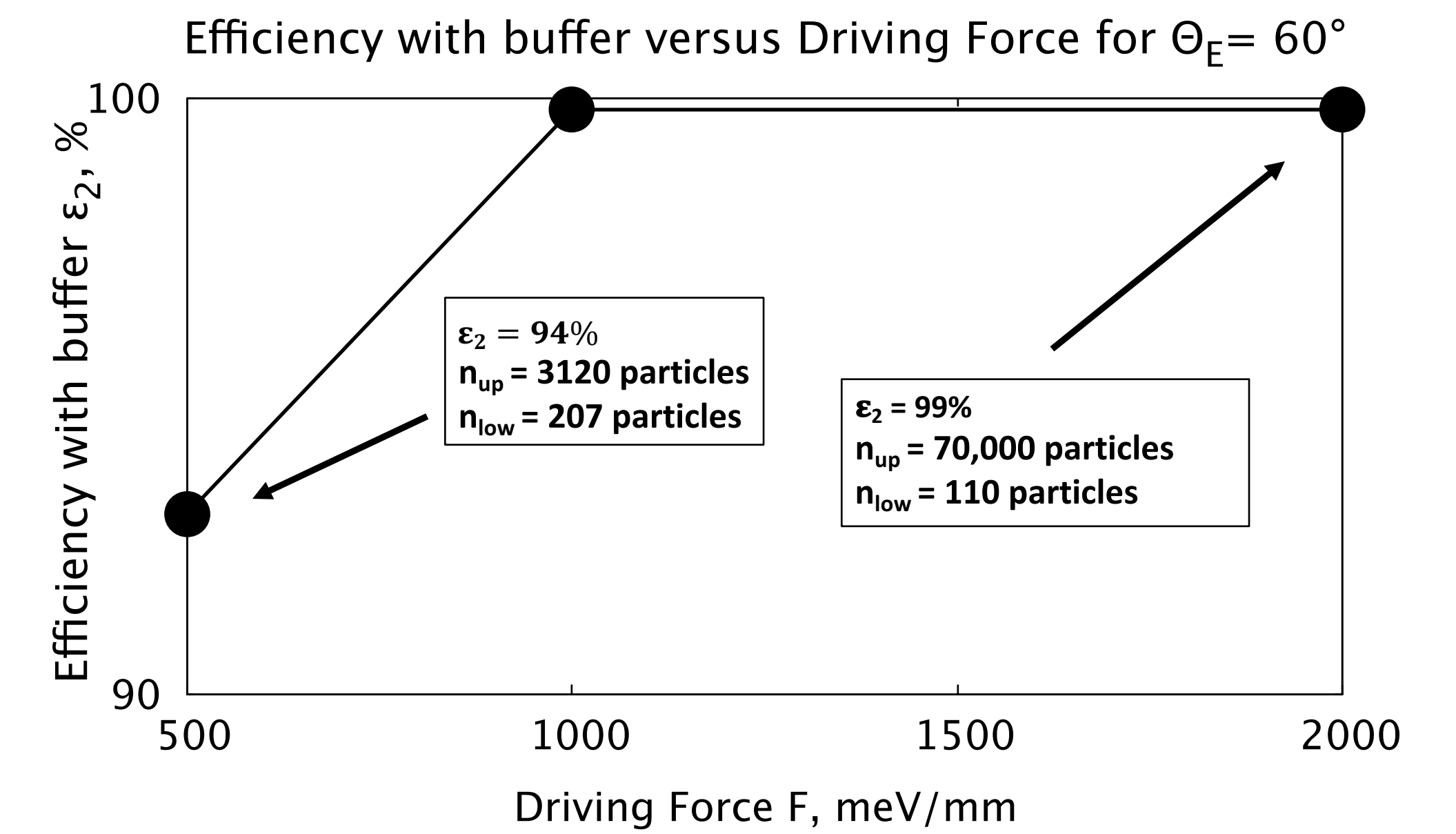


$$\epsilon = \frac{n_{up}}{n_{up} + n_{mid} + n_{low}} \times 100\%$$

- $\epsilon$  characterizes the distribution of dipolariton population in the channel based on  $n_{up}$ ,  $n_{mid}$  and  $n_{low}$ , the upper, middle and lower branch populations, respectively

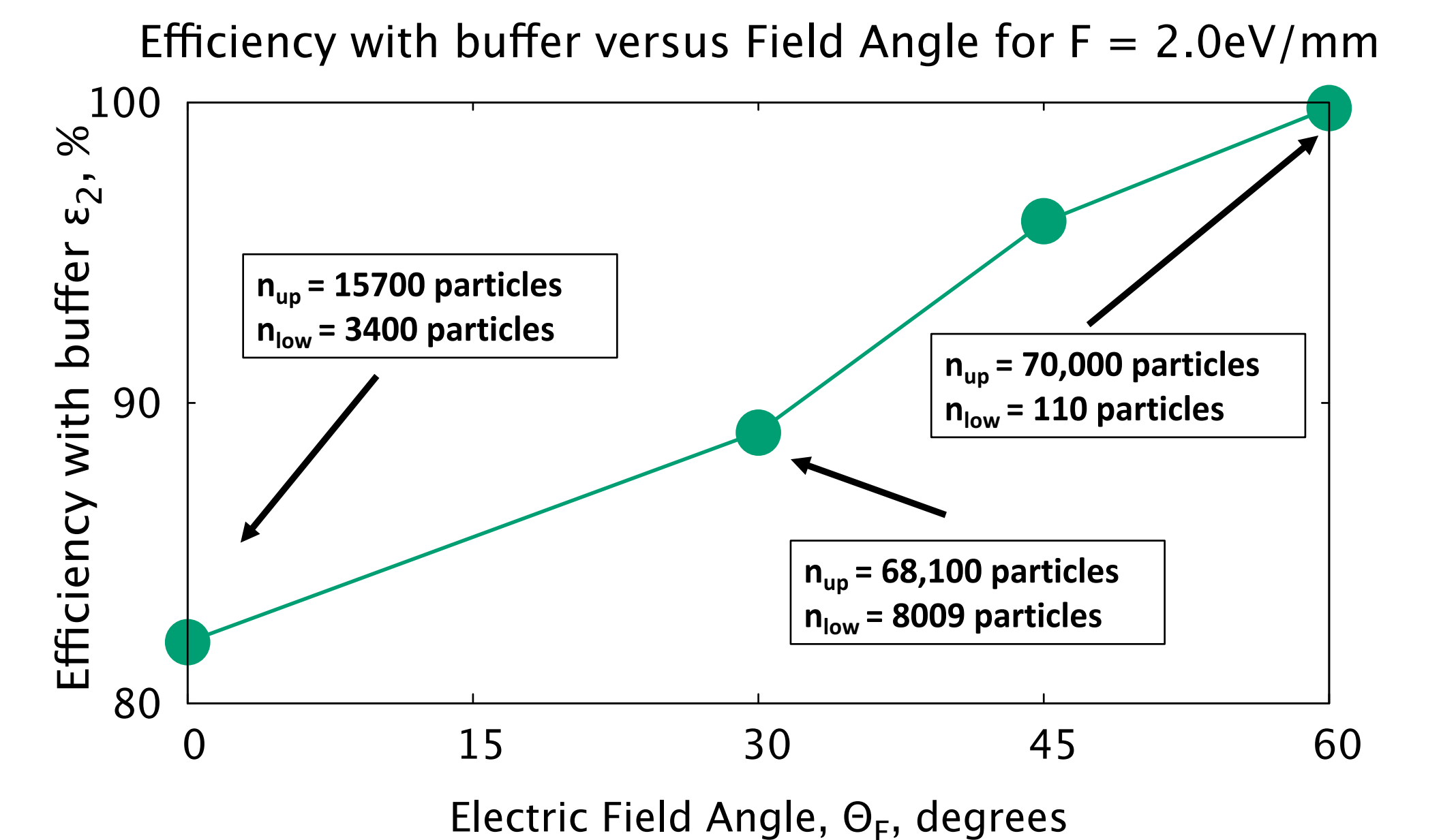


## Efficiency of channel with a buffer



$$\epsilon_2 = \frac{n_{up}}{n_{up} + n_{low}} \times 100\%$$

- $\epsilon_2$  characterizes the distribution of dipolariton population in the channel when the middle branch is taken to be a buffer. This models a Y-shaped channel



## Conclusions

- Efficiency can be improved upon increase of driving force and electric field angle
- Buffered channel closely replicates distribution of a Y-shaped channel

## Acknowledgment

- This work was supported in part by the Department of Defense under the grant No. W911NF1810433. The authors are grateful to R. Ya. Kezerashvili, O. L. Berman and T. Byrnes for fruitful discussions.