Design of Connections

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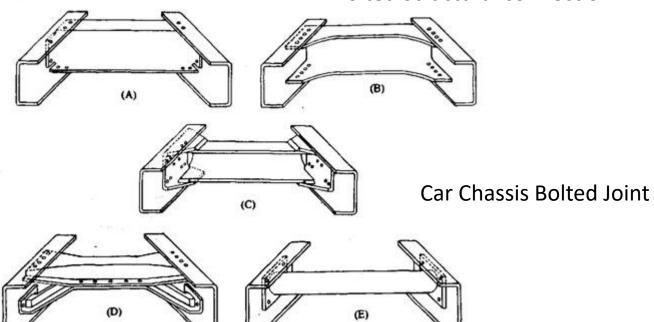
Industrial Examples



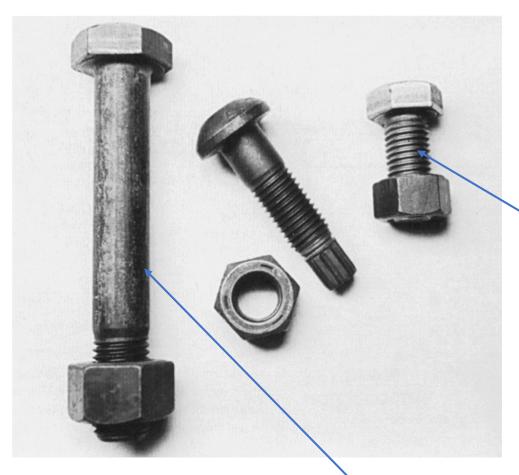
Single lap joint



Bolted Structural connection



Structural Bolts

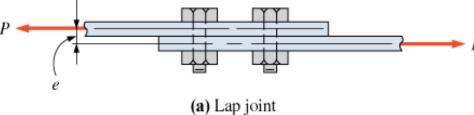


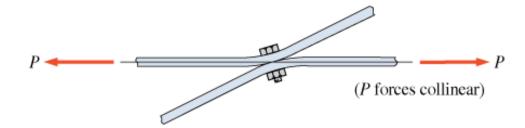
Bolt and Nut

Threads in the Shear Plane

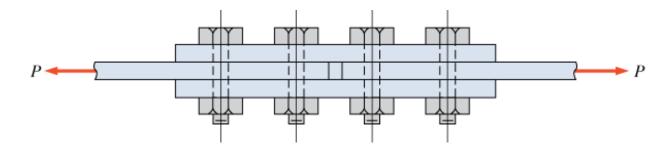
Threads Excluded in the Shear Plane

Types of Joints





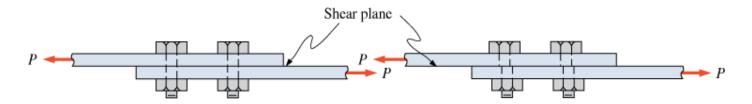
(b) Bending in lap joint



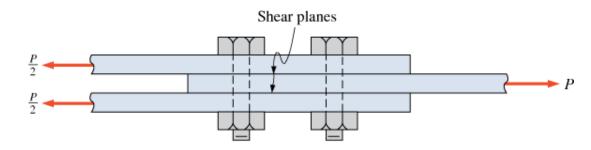
Butt Joint

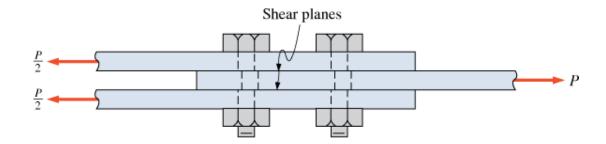
- Lap Bolts in single shear
- Butt Joint- Bolts in double shear

Shear states



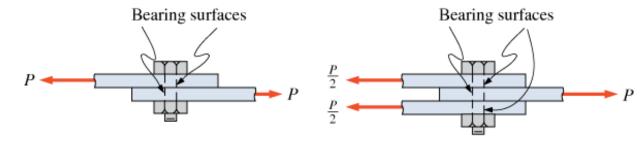
Lap Joint, bolts in single shear





Butt Joint, bolts are in double shear

Bearing Stress

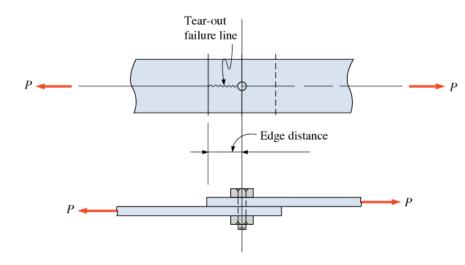


(a) Bearing on plates in single-shear connection

(b) Bearing on plates in double-shear connection

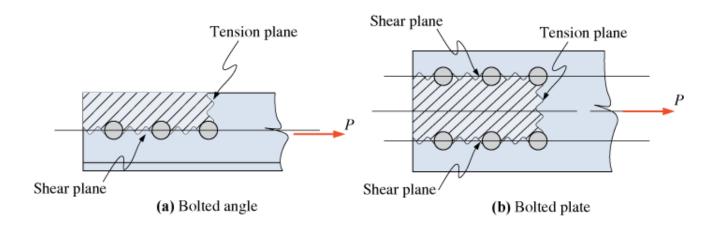
- Bearing Load-
- A measure of How much load a plate can carry
- Plate load capacity

Modes of Failure

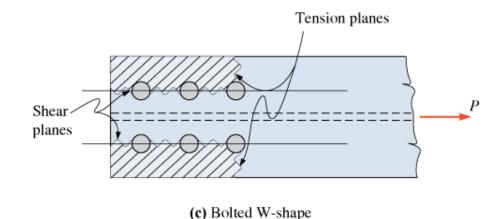


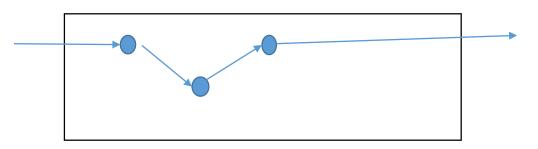
- Depends on the strength of Bolt and Plate
- 1. End Tear Out Failure

Modes of Failure



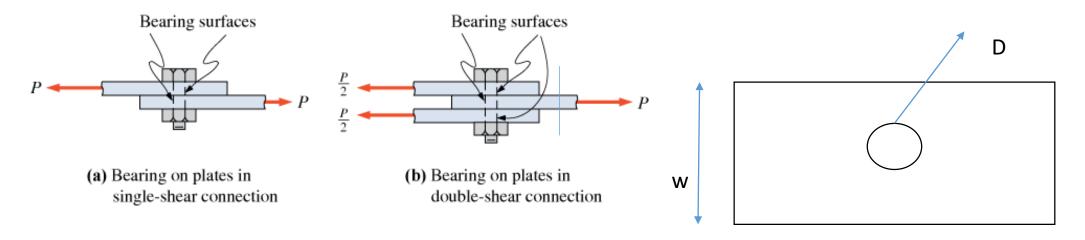
- 2. Block Shear, Combination of shear failure along the plane
 - Can be avoided by changing connection geometry





Zig-Zag Bolt geometry makes it hard to Fail

• 3. Bearing Failure



4. Tensile failure on the plate

Plate thickness, t, so bearing surface area is D*t
Net area of the plate= Gross area-bolt area
=w*t-D*t

Tensile load= Tensile strength*Net Area

Strength of Connections

19.4.1 Shear Strength

The shear strength for the connection, based on bolt shear, is the product of the cross-sectional area of the shank, its allowable shear stress, and the number of bolts in the connection. The allowable load is determined from

$$P_s = A_B F_\nu N \tag{19.1}$$

where P_s = the allowable load for the connection, based on bolt shear (lb, kips) (N)

 A_B = the circular cross-sectional area of one bolt (in.²) (mm²)

 F_{ν} = the allowable shear stress in the bolt material (psi, ksi) (MPa)

N = the number of bolts contained in the connection being considered

Shear will be applied to bolt or plate? bolt Where will bearing failure occur, bolt or plate? plate Where will tensile failure occur, plate or bolt? plate

Bearing Strength

The bearing strength of a connection is a function of the bearing (crushing) strength of the connected material and the resisting contact area. The true distribution of the bearing stress on the material around the perimeter of a hole is unknown. Satisfactory results, however, have been obtained by assuming a uniform bearing stress acting on the projection of the contact area. This projected area, a rectangular area, is obtained as the product of the nominal diameter of the bolt and the thickness of the connected material. We obtain the strength of the connection, based on bearing on the connected material, as the product of the resisting contact area, an allowable bearing stress, and the number of bolts in the connection:

$$P_p = dt F_p N ag{19.3}$$

where P_p = the allowable load for the connection, based on bearing on the connected material (lb, kips) (N)

d =the nominal bolt diameter (in.) (mm)

t =the thickness of the connected part (in.) (mm)

 F_p = the allowable bearing stress on the connected material (psi, ksi) (MPa)

N = the number of bolts contained in the connection being considered

Allowable Stresses

^aMinimum values.

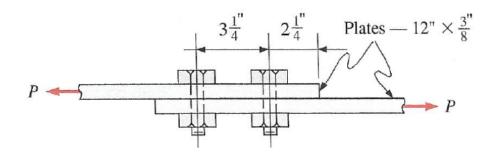
TABLE 19.1 Allowable shear stress on steel fasteners (Bearing-type connection) Allowable Shear Stress **Description of Fastener** (F_v) [ksi (MPa)] A307 low-carbon bolts 13.5 (94) 27.0 (186) A325 bolts—threads in shear plane 34.0 (228.5) A325 bolts—threads excluded from shear plane A490 bolts—threads in shear plane 34.0 (228.5) A490 bolts—threads excluded from shear plane 42.0 (289.5) Note: U.S. Customary System values are based on the AISC Specification. SI values are converted from U.S. Customary System values.

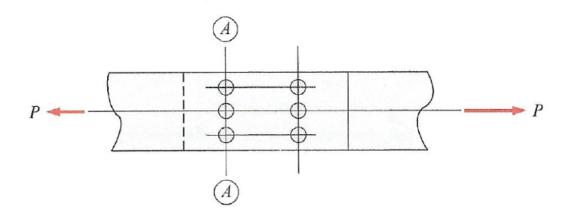
Bolt is a type of fastener

| Allowable stre | esses in ksi (MPa |) | | |
|-----------------------|---------------------------------------------|-------------------------------------------------------------------------------------|----------------------------------------------------------------------------------------------------------|---------------------------------------------------------------------------------------------------------------------|
| | Allowable Bearing Stress | | Allowable Tensile Stress | |
| F _u | $F_p = (1.5)F_u$ | F _y | (Gross) $F_t = (0.60)F_y$ | $F_t = (0.50)F_u$ |
| 58 ^a (400) | 87a (600) | 36 (250) | 21.6 (150) | 29 ^a (200) |
| 65 (448) | 97.5 (672) | 50 (345) | 30 (207) | 32.5 (224) |
| | F _u 58 ^a (400) | Allowable Bearing Stress $F_u \qquad F_p = (1.5)F_u$ $58^a (400) \qquad 87^a (600)$ | Bearing Stress $F_u \qquad F_p = (1.5)F_u \qquad F_y$ $58^{a} (400) \qquad 87^{a} (600) \qquad 36 (250)$ | Allowable Bearing Stress Tensile F_u $F_p = (1.5)F_u$ F_y $F_t = (0.60)F_y$ $F_t = (0.60)F_y$ $F_t = (0.60)F_y$ |

Example Problem

Compute the allowable tensile load P for the single-shear lap joint shown in Figure 19.12. The plates are ASTM A36 steel and the high-strength bolts are $\frac{3}{4}$ -in.-diameter A325-X in standard holes.





Solution

Allowable Shear Stress 34ksi

Allowable load for the connection based on the shear

$$P_s = nA_BF_vN$$

The cross-sectional area of the bolt is calculated from

$$A_B = \pi d^2/4 = 0.7854 d^2 = 0.7854(0.75 \text{ in.})^2 = 0.442 \text{ in.}^2$$

Then

$$P_s = nA_BF_vN$$
 Use Bolt Sectional Area
= 1.0(0.442 in.²)(34 ksi)(6) = 90.1 k

Next, check bearing on the $\frac{3}{8}$ -in.-thick plate. From Table 19.2, the allowable bearing stress F_p is 87 ksi. The allowable load for the connection, based on bearing on the connected material, is calculated from Equation (19.3):

Bearing Surface Area, d*t

$$P_p = dt F_p N$$

= (0.75 in.)(0.375 in.)(87 ksi)(6)
= 147 k

Continue

Last, check the tensile capacity of the plates. Using the allowable tensile stresses from Table 19.2, the allowable tensile load, based on gross area, is calculated from Equation (19.4):

$$P_g = A_g F_t = (12 \text{ in.})(0.375 \text{ in.})(21.6 \text{ ksi}) = 97.2 \text{ k}$$

and, based on net area, from Eqs. (19.5) and (19.6),

$$A_n = bt - N_F d_H t = (12 \text{ in.})(0.375 \text{ in.}) - 3(0.875 \text{ in.})(0.375 \text{ in.}) = 3.52 \text{ in.}^2$$

 $P_n = A_n F_t = (3.52 \text{ in.}^2)(29 \text{ ksi}) = 102 \text{ k}$

Ft= Tensile Strength

Take the lowest, of three, Ans is 90.1 kips.