

3/9/2022

WebWork Set: Simplifying Radicals

$$\#5) \sqrt{36a^2b^3} = \sqrt{36a^2b^2 \cdot \sqrt{b^1}} \\ = \boxed{6ab\sqrt{b}}$$

Since the index = 2 \rightarrow square root
"hunt" for perfect squares

Multiplying Radicals

$$\#3) (5a\sqrt{b})(3\sqrt{ab})$$

$$= 5 \cdot 3 \cdot a \sqrt{b} \cdot \sqrt{ab}$$

$$= 15a \sqrt{ab^2}$$

$$= \boxed{15a|b|\sqrt{a}}$$

absolute value.

Note:

$$\sqrt{b^2} = |b|$$

Radical Equations:

#4) ^{solve:} $\sqrt{4x+80} + 8 = 0$

First Thing: Rewrite the equation
so it looks like " $\sqrt{\quad} = a$ "
i.e. isolate the radical.

$$\sqrt{4x+80} = -8$$

$$(\sqrt{4x+80})^2 = (-8)^2$$

square both
sides to
"kill" the
radical

$$4x+80 = 64 \quad \leftarrow \text{solve it!}$$

$-80 \quad -80$

$$\frac{4x}{4} = \frac{-16}{4}$$

$$\boxed{x = -4}$$

a potential
solution!

Must check in original $\rightarrow \sqrt{4(-4)+80} + 8 \stackrel{?}{=} 0$

No Solutions

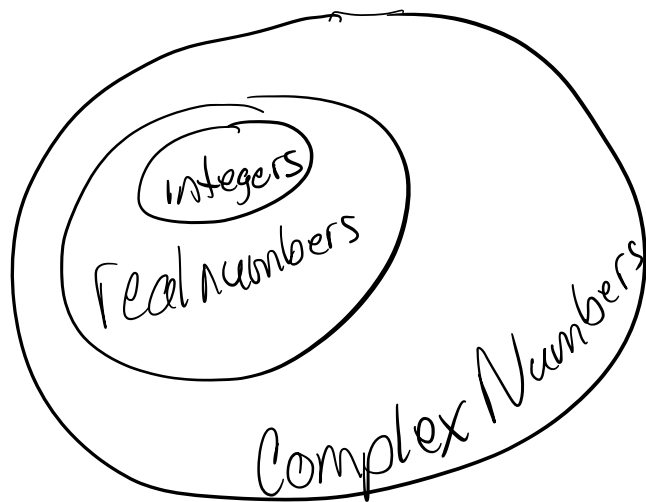
$$\sqrt{-16+80} + 8 \stackrel{?}{=} 0$$

$$\sqrt{64} + 8 = 0$$

$$8 + 8 \stackrel{?}{=} 0$$

No!!

Class Agenda 15: Complex Numbers



Rational
Number can
be written
as ratios
of whole
numbers

Define:

$$\sqrt{-1} = i \text{ imaginary}$$

Ex irrational
numbers: $\pi, \sqrt{2}$

$$i^2 = (\sqrt{-1})^2 = -1$$

Standard form of complex

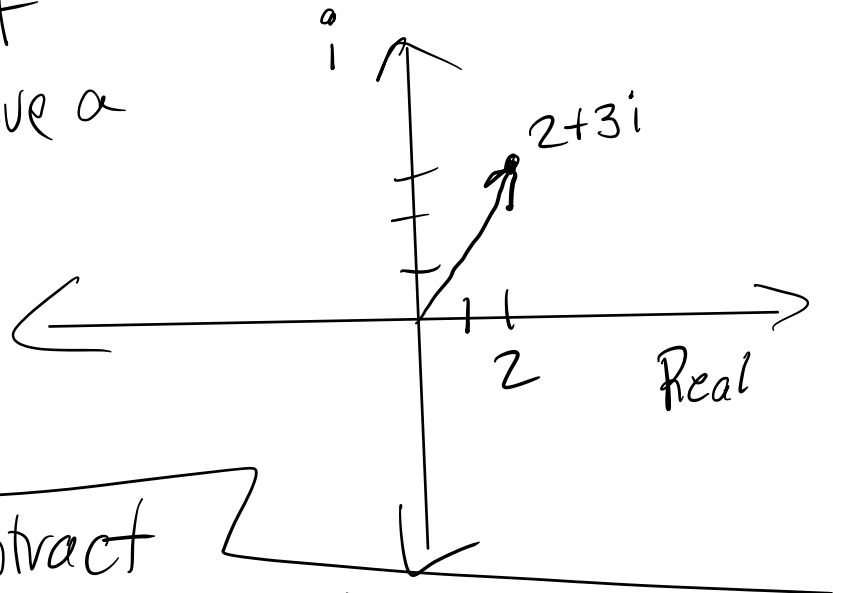
number:

$a+bi$ where a

$\neq b$
are real
numbers
and $b \neq 0$

* if $b=0$
then we
have a real #

* if $b \neq 0$ but
 $a=0 \rightarrow$ still have a
complex #



Ex $2+3i$

How do Add/Subtract
& Multiply/Divide Complex #'s?
& take powers of i

$$\begin{aligned} \text{Ex } (2+3i) + (-1+4i) &= (2-1) + (3+4)i \\ &= 1+7i \end{aligned}$$



$$\text{Ex } (2+3i) - (-1+4i) = 3-i$$

$$(2+3i) + (1-4i) = (2+1) + (3-4)i \\ = 3-i$$

Multiply

$$\text{Ex } (2+3i)(-1+4i) = -2 + 8i - 3i + 12i^2$$

Follow

$$= -2 + 5i + 12(-1) \\ = -14 + 5i$$

$i^2 = -1$

$$\text{Ex } (5-2i)(5+2i) = 29 \\ = 25 + \cancel{10i} - \cancel{10i} - 4i^2 = 25 - 4(-1) \\ = 25 + 4 = 29$$

$$\text{Ex } (3i+1)(-2i-1) = \\ -6i^2 - 3i - 2i - 1 = -6(-1) - 5i - 1 = 5 - 5i$$

$$\text{Ex } \frac{3(i+2)}{2} \quad \text{write in standard form "a+bi"}$$

$$= \frac{3i+6}{2} = \frac{3}{2}i + 3 \rightarrow 3 + \frac{3}{2}i$$

$$\text{Ex } \frac{1+3i}{-3+2i}$$

multiply by
"complex conjugate"

$$\frac{(1+3i) \cdot (-3-2i)}{(-3+2i) \cdot (-3-2i)} =$$

FOIL num +
denom.

Reminder:

$$\frac{1}{3+\sqrt{5}} \cdot \frac{(3-\sqrt{5})}{(3-\sqrt{5})}$$

↑
multiply
by conjugate