The sales tax rate in a city is $9.3 \%$. How much sales tax will you pay on a $\$ 140$ purchase?

$$
\$ 140 \cdot 0.093=\$ 13.02
$$

is tax rate

Nyc Sales Tax Rate is $8.875 \%$

$$
\begin{aligned}
& \rightarrow 4 \% \quad \text { (state) } \\
& 4.875 \% \quad(\text { city })
\end{aligned}
$$

If this $\$ 140$ item was bought in NYC.
Tax

$$
\begin{aligned}
\frac{8.875 \%}{100 \%} & =0.08875 \\
\$ 140 \cdot 0.08875 & =\$ 12,425 \\
& =\$ 12,43
\end{aligned}
$$

Total: $\$ 140+\$ 12,43=\$ 152.43$

$$
\begin{aligned}
& \text { price + tax } \\
& \text { price + price tax rate } \\
& \$ 140+\$ 140(0.08875) \\
& \$ 140(1+0.08875)
\end{aligned}
$$

$$
\begin{aligned}
& \$ 140(1.08875)=\$ 12.425 \approx \$ 12.43 \\
& \text { price* }\left(1+\begin{array}{l}
\text { tax rate } \\
\text { (indecimal }
\end{array}\right.
\end{aligned}
$$

Effective rate
The effective tax rate is the equivalent percent rate of the tax paid out of the dollar amount the tax is based on.

Example 2
Joan paid $\$ 3,200$ in property taxes on her house valued at $\$ 215,000$ last year. What is the taxes value of thehous -

* to calculate tax.

$$
\begin{aligned}
\text { price*(tax rate }) & =\text { tax } \\
(215000) *(t a x \text { rate }) & =\$ 3200 \\
\frac{(215000) *(t a x \text { rate })}{\$} & =\frac{\$ 3200}{\$ 215000}
\end{aligned}
$$

* acceptable to an extent but we speck of tax rates in percentages

$$
\underset{\text { in percent }}{\text { tax }}=\frac{32}{2150} \cdot 100 \approx 1.48 \%
$$

* Convert fraction to percent

$$
\begin{aligned}
& \rightarrow \frac{\text { convent } t \rightarrow \text { decimal) to }}{\substack{\text { divide nuweratis } \\
\text { by derominctor }}} \begin{array}{l}
\text { move decimal } \\
\quad \mathrm{z} \rightarrow
\end{array} \\
& \rightarrow \text { multiply by } 100
\end{aligned}
$$

Tax categories
A flat tax, or proportional tax, charges a constant percentage rate.
A progressive tax increases the percent rate as the base amount increases.
A regressive tax decreases the percent rate as the base amount increases.

Example 3
The United States federal income tax on earned wages is an example of a progressive tax. People with a higher wage income pay a higher percent tax on their income.

For a single person in 2011, adjusted gross income (income after deductions) under \$8,500 was taxed at $10 \%$. Income over $\$ 8,500$ but under $\$ 34,500$ was taxed at $15 \%$.

$$
\begin{aligned}
& \text { es. I person made } \$ 7000 \\
& \rightarrow 10 \% \text { because } \$ 7000<\$ 8500 \\
& 7000(0.10)=\$ 700 \\
& \text { incuse twas rate taxed } \\
& \text { Jun made } \$ 30,000 \\
& \text { if in come is between } \\
& 0 \leq 8500 \rightarrow 10 \% \quad \text { must } p<y \text { 10 } \% \\
& 8500<34500 \rightarrow 15 \% \in \underset{\text { momaining }}{\operatorname{ran}} 15 \% \\
& \text { in this bracket }
\end{aligned}
$$

$$
\begin{aligned}
& 30000=8500+21,500 \\
& \text { tel e } 10 \% \\
& \text { remsiniog } \\
& \text { in lowe }
\end{aligned}
$$

Interval of Ind tax bracket

$$
\begin{array}{r}
\frac{34,500}{-\quad 0,500} \\
26,000 \\
\\
\text { remaining } \\
21,500<26,000 \\
\text { length of tex bracket }
\end{array}
$$

$$
\begin{aligned}
& \$ 8500(1.10)+\$ 21,500(0,15) \\
& \$ 850+\$ 3225=\begin{array}{l}
\$ 4,075 \\
t a x e s
\end{array}
\end{aligned}
$$

Effective Tax Rate

$$
\begin{aligned}
\frac{\text { ffectise Tax Rate }}{\text { income }} \cdot 100=\frac{4075}{30000} \times 100 & =13,58 \overline{3} \% \\
& \approx 13,58 \% \\
& \approx 13,6 \%
\end{aligned}
$$

The United States federal income tax on earned wages is an example of a progressive tax. People with a higher wage income pay a higher percent tax on their income.

For a single person in 2011, adjusted gross income (income after deductions) under \$8,500 was taxed at $10 \%$. Income over $\$ 8,500$ but under $\$ 34,500$ was taxed at $15 \%$.

Income over $\$ 34,500$
under $\$ 75,500$ taxed at $20 \%$
Abbey makes \$60000 in 2011,

$$
\begin{array}{r|r|rr}
\text { Abbey makes } & & * 60000 \\
8500-0 & \frac{\text { length }}{8500} & 10 \% & \begin{array}{l}
34500 \\
34500-8500
\end{array} \\
26,000 & 15 \% & 25500 \\
75,500-34500 & 41,000 & 20 \% & \\
\text { Abbey is here } & & &
\end{array}
$$

$$
\begin{aligned}
& 8500(10)+26,000(115)+25,500(120) \\
= & 850+3900+5100 \\
= & \$ 9,850 \text { in taxes }
\end{aligned}
$$

A gasoline tax is a flat tax when considered in terms of consumption, a tax of, say, $\$ 0.30$ per gallon is proportional to the amount of gasoline purchased. Someone buying 10 gallons of gas at $\$ 4$ a gallon would pay $\$ 3$ in tax, which is $\$ 3 / \$ 40=7.5 \%$. Someone buying 30 gallons of gas at $\$ 4$ a gallon would pay $\$ 9$ in tax, which is $\$ 9 / \$ 120=7.5 \%$, the same effective rate.

However, in terms of income, a gasoline tax is often considered a regressive tax. It is likely that someone earning $\$ 30,000$ a year and someone earning $\$ 60,000$ a year will drive about the same amount. If both pay $\$ 60$ in gasoline taxes over a year, the person earning $\$ 30,000$ has paid $0.2 \%$ of their income, while the person earning $\$ 60,000$ has paid $0.1 \%$ of their income in gas taxes.

